

Data analysis

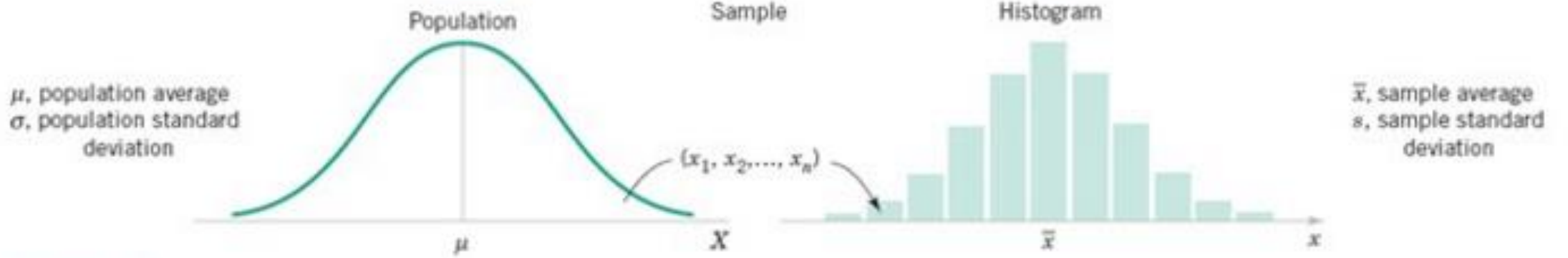
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FRSS(UK), MIAS(SL)

Population vs Sample

- Population value vs Sample value
 - Parameter vs statistic
- Notations
 - Greek vs English

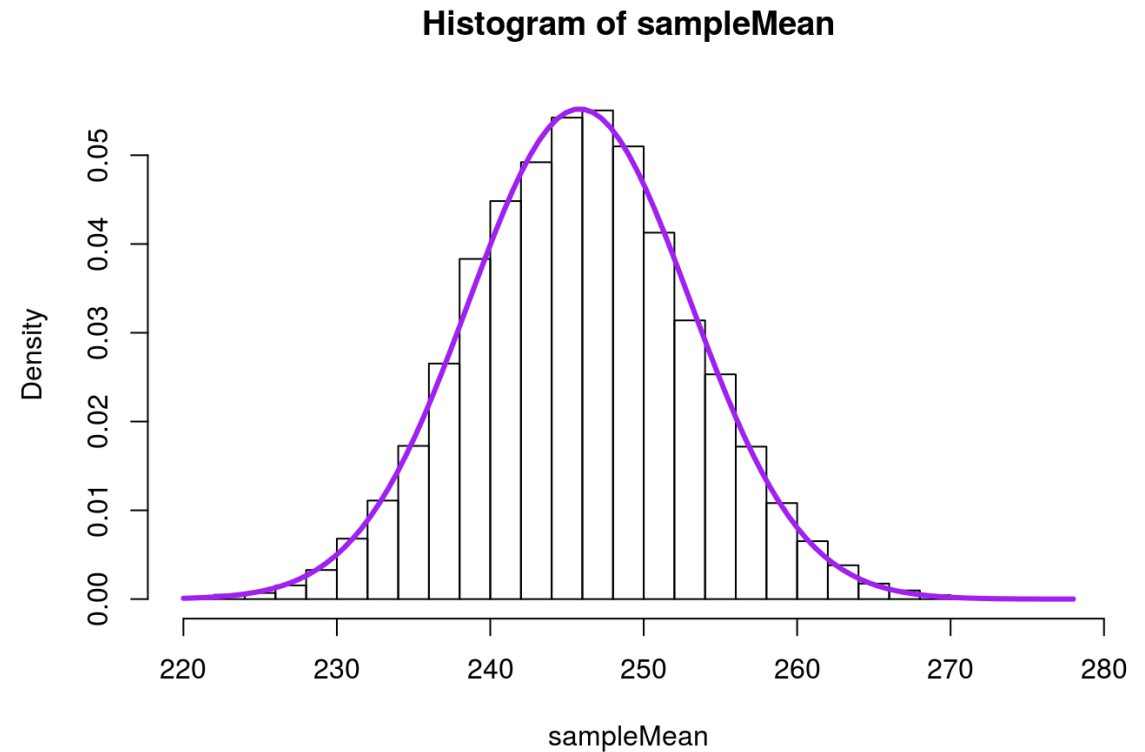
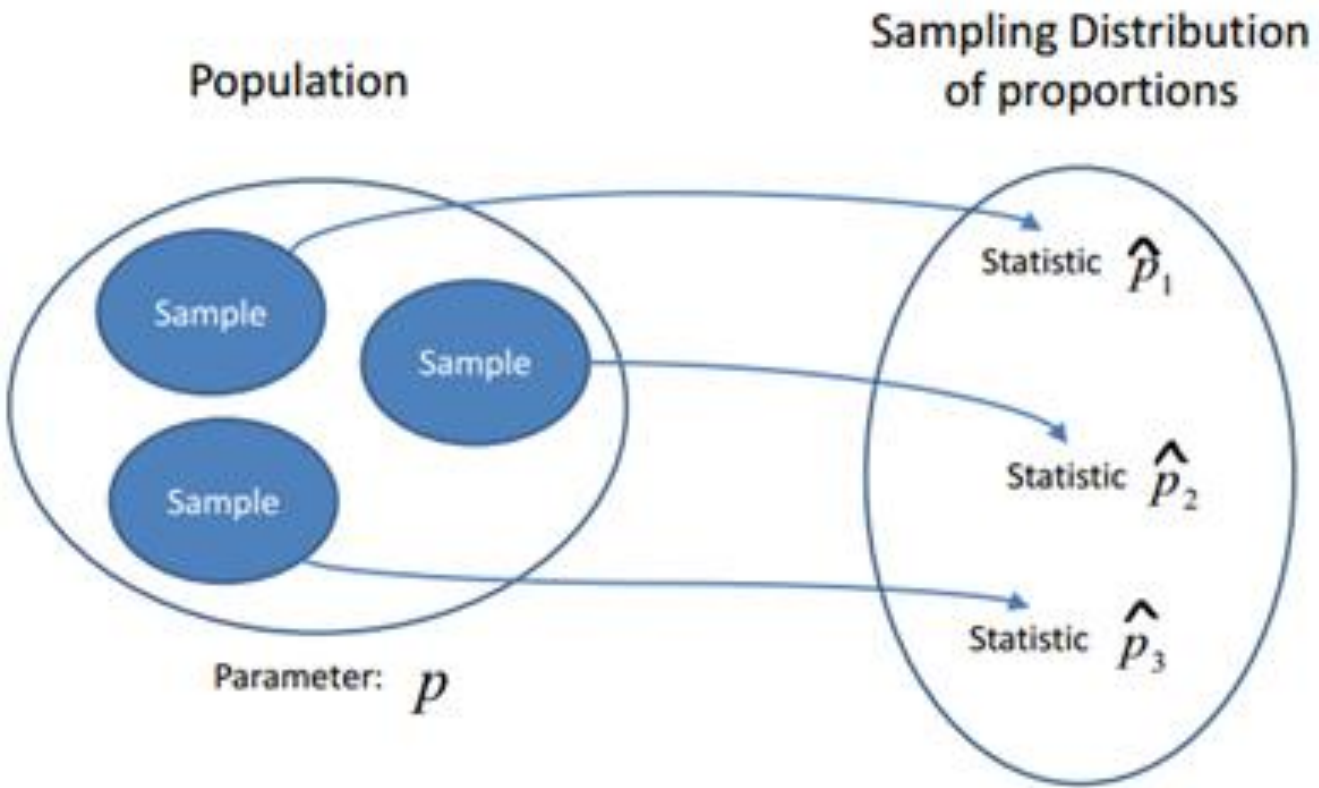
Sampling

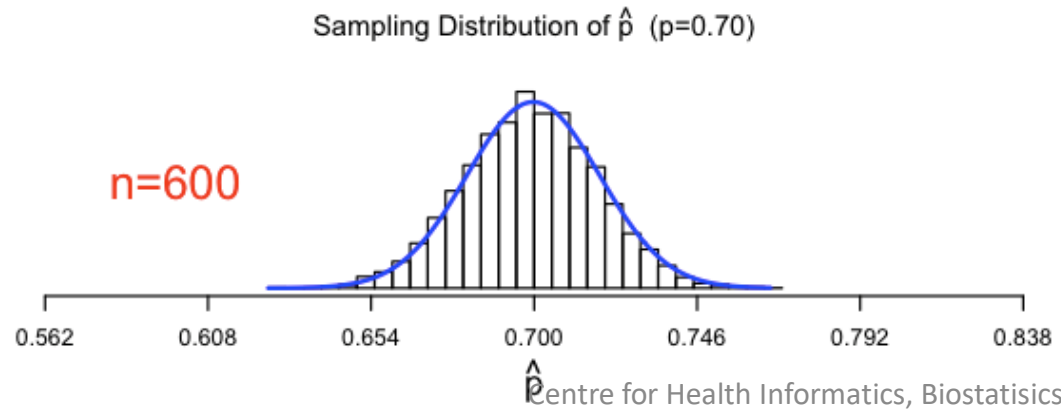
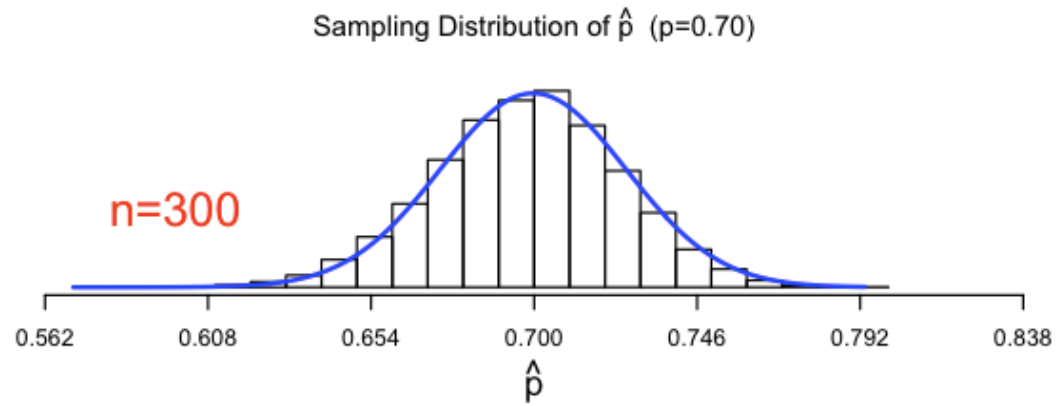
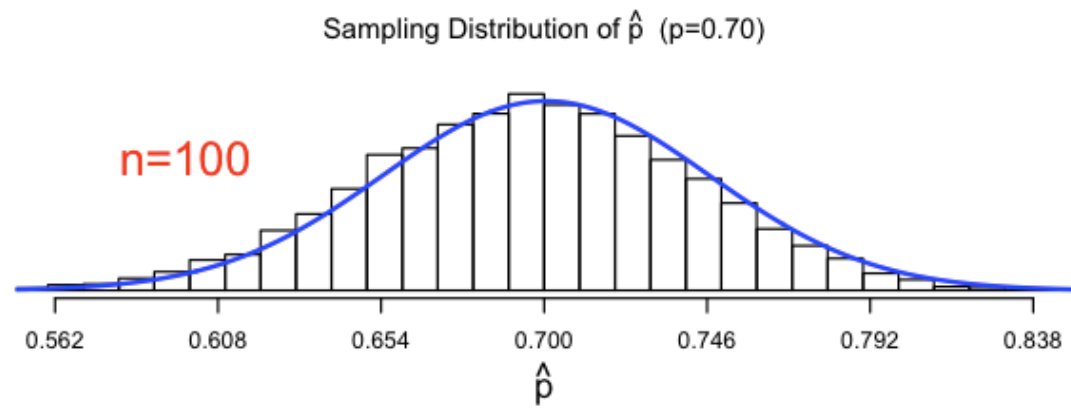


Relationship between a population and a sample.

Inference

Sampling





Types of data

- Categorical (Qualitative, nominal)
 - Eg. Blood group
- Quantitative
 - Discrete – Eg. Number of students
 - Continuous – Eg. Height, Weight
- Ordinal (in-between case)
 - Eg. Exam grades (A, B, C, F)

Displaying data

- Discrete data: frequency table and bar chart

Example

The numbers of accidents experienced by 80 machinists in a certain industry over a period of one year were found to be as shown below. Construct a frequency table and draw a bar chart.

2	0	0	1	0	3	0	6	0	0	8	0	2	0	1
5	1	0	1	1	2	1	0	0	0	2	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	1	0	1
0	0	0	5	1	0	0	0	0	0	0	0	0	1	1
0	3	0	0	1	1	0	0	0	2	0	1	0	0	0
0	0	0	0	0										

Displaying data

- Discrete data: frequency table (සංඛ්‍යාත වගුව)

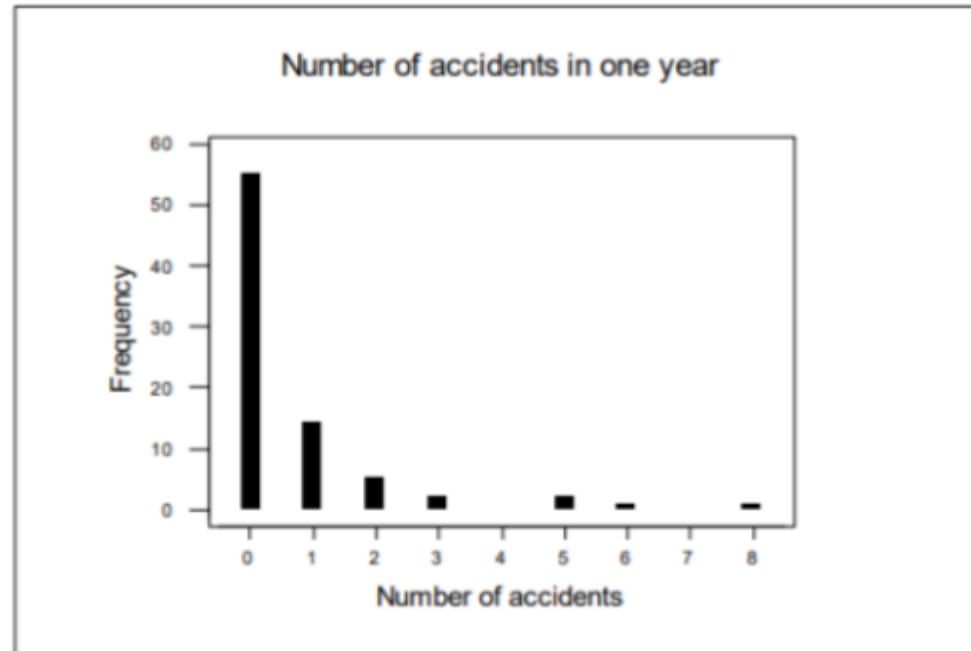
Solution

Number of accidents	Tallies	Frequency
0		55
1		14
2		5
3		2
4		0
5		2
6		1
7		0
8		1

Displaying data

- Discrete data: bar chart (නිරූ සටහන්)

Bar chart



Displaying data

- Continuous data: histograms (ඡාල රේඛය)

Example

The following data are the left ventricular ejection fractions (LVEF) for a group of 99 heart transplant patients. Construct a frequency table and histogram.

62	64	63	70	63	69	65	74	67	77	65	72	65
77	71	79	75	78	64	78	72	32	78	78	80	69
69	65	76	53	74	78	59	79	77	76	72	76	70
76	76	74	67	65	79	63	71	70	84	65	78	66
72	55	74	79	75	64	73	71	80	66	50	48	57
70	68	71	81	74	74	79	79	73	77	80	69	78
73	78	78	66	70	36	79	75	73	72	57	69	82
70	62	64	69	74	78	70	76					

Displaying data

- Continuous data: histograms

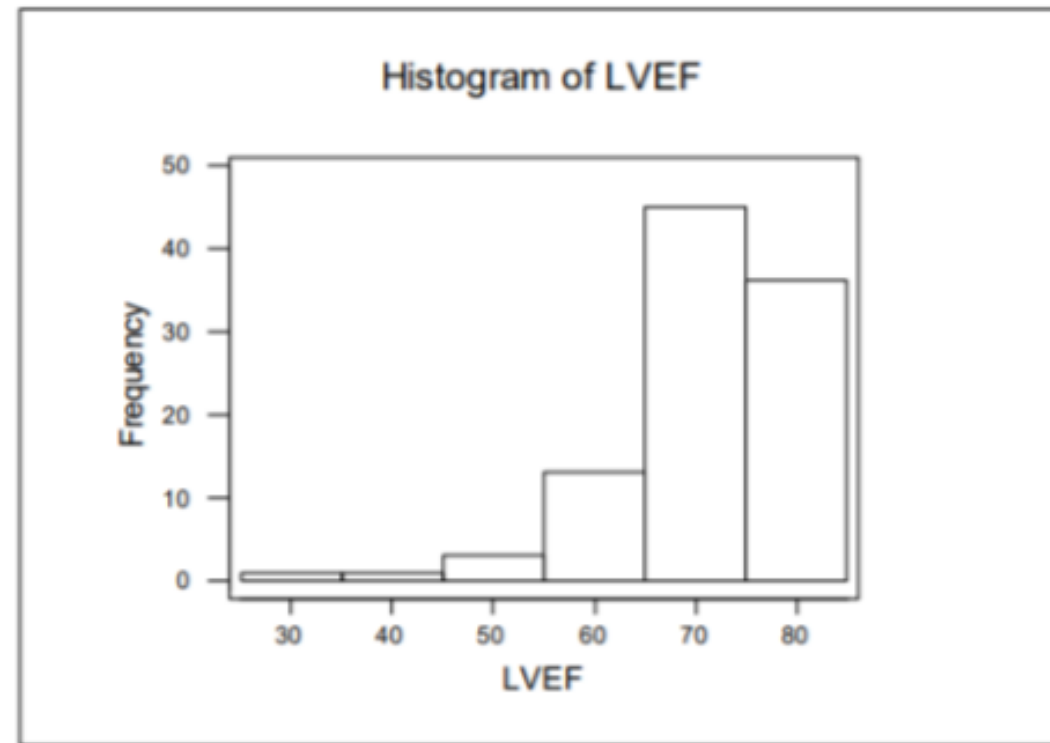
Frequency table

LVEF	Tallies	Frequency
24.5 - 34.5		1
34.5 - 44.5		1
44.5 - 54.5		3
54.5 - 64.5		13
64.5 - 74.5		45
74.5 - 84.5		36

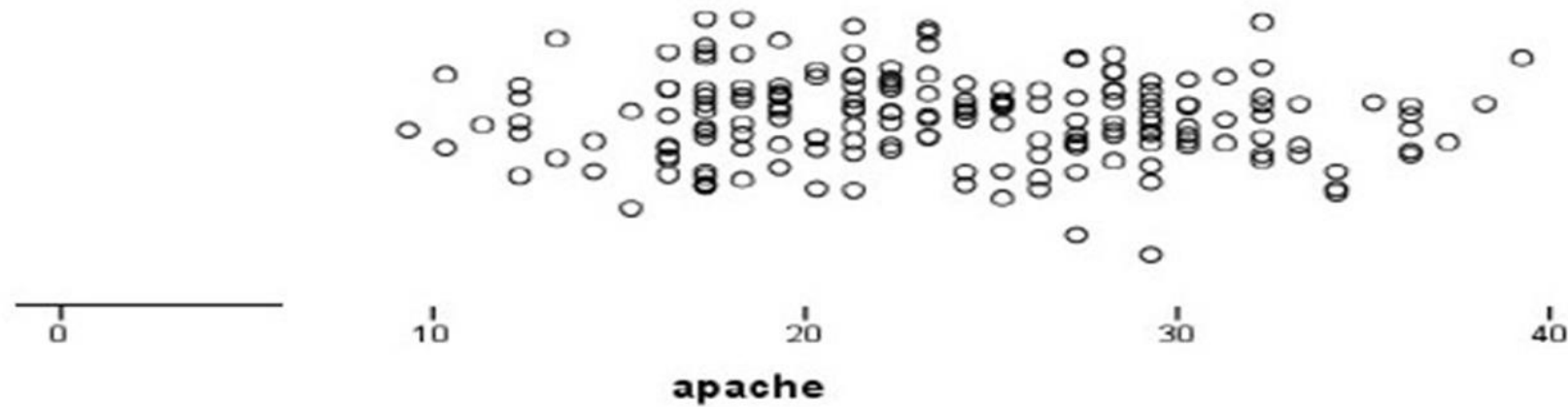
Displaying data

- Continuous data: histograms

Histogram



Summary Statistics



Central Tendency

Mean

Data Variation

Standard Deviation



Summary Statistics

- Measures of location (central tendency)
 - Sample mean (මධ්‍යන්‍යය)
 - Sample median (මධ්‍යස්ථය)
 - Mode (මානය)
- Measure of dispersion
 - Range (පරාසය)
 - Standard deviation (සම්මත අපගමනය)

Sample mean

Sample mean

The *sample mean* of the values x_1, x_2, \dots, x_n is

$$\bar{x} = \frac{x_1 + x_2 + \dots + x_n}{n} = \frac{1}{n} \sum_{i=1}^n x_i$$

Sample mean

- How to calculate mean height of the class?

Sample median

Sample median

The median is the central value in the sense that there are as many values smaller than it as there are larger than it.

All values known: if there are n observations then the median is:

- the $\frac{n+1}{2}$ largest value, if n is odd;
- the sample mean of the $\frac{n}{2}$ largest and the $\frac{n}{2} + 1$ largest values, if n is even.

Sample median

- How to calculate median height of the class?

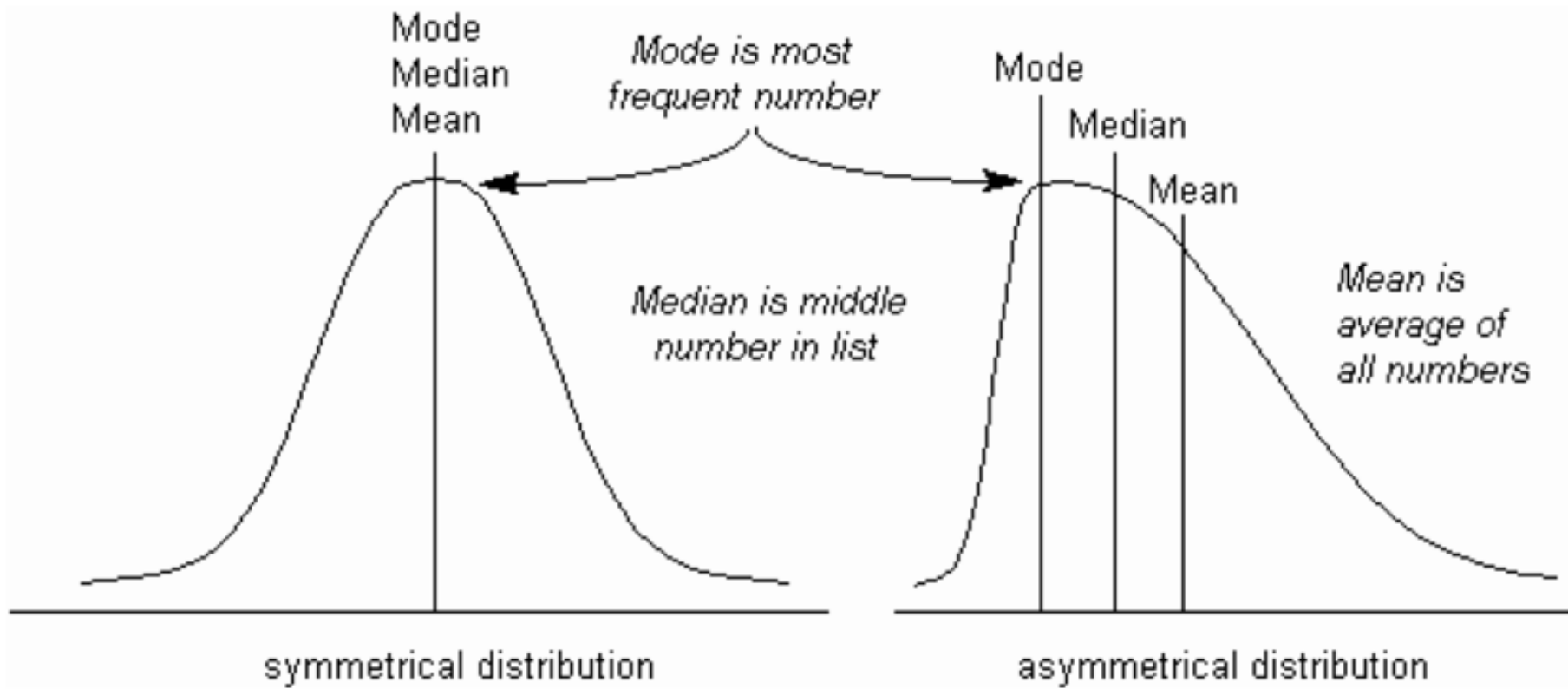
Mode

Mode

The mode, or modal value, is the most frequently occurring value. For continuous data, the simplest definition of the mode is the midpoint of the interval with the highest rectangle in the histogram. (There is a more complicated definition involving the frequencies of neighbouring intervals.) It is only useful if there are a large number of observations.

Mode

- How to find the mode of the height of this class?

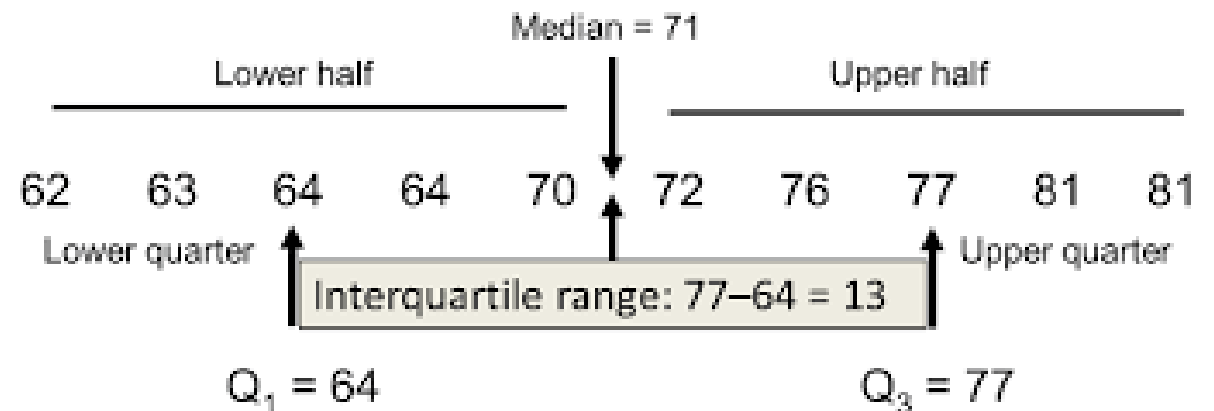


Range and interquartile range

- Range
 - Difference between highest and lowest values

Range and interquartile range

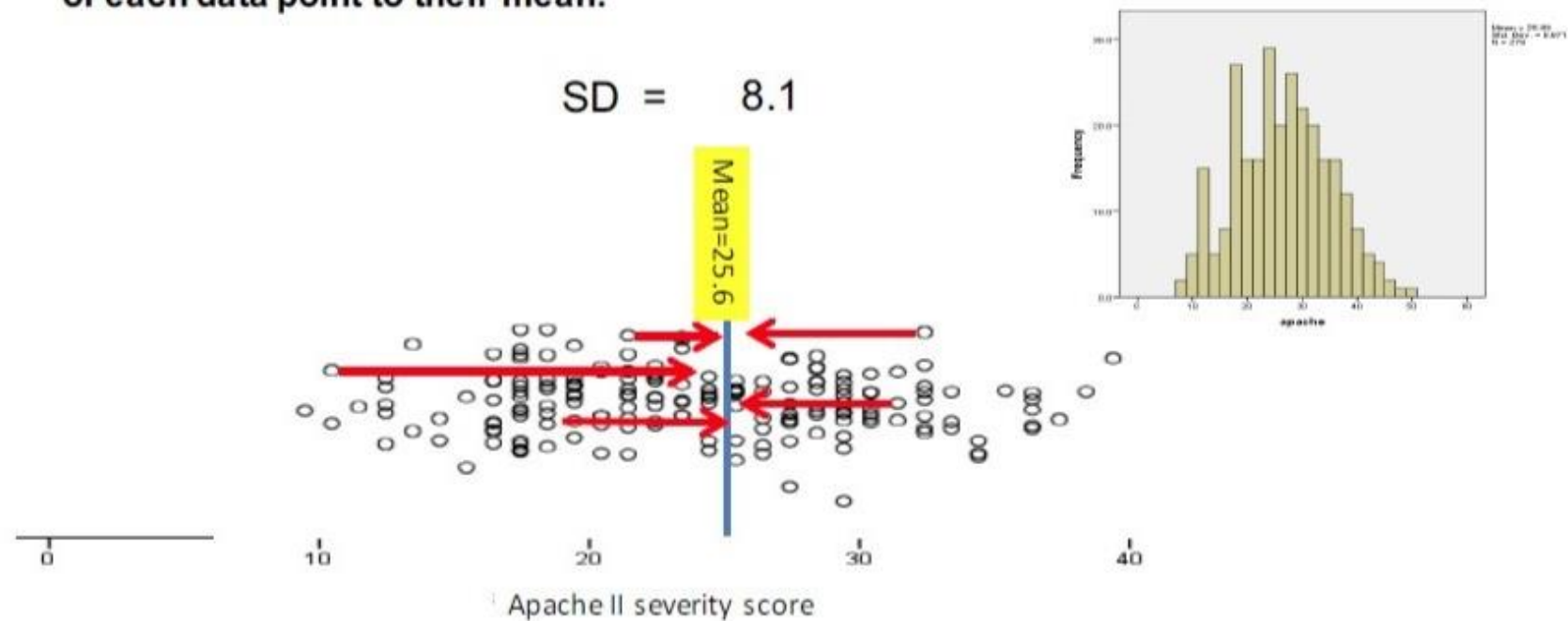
- Interquartile range (අන්තශ්චතුර්ථක පරාසය)
 - Difference between Q1 and Q3
 - Q1: 25th percentile of the data. (splits off the lowest 25% of data from the highest 75%)
 - Q2: median of a data set is equal to the 50th percentile of the data (cuts data in half)
 - Q3: is equal to the 75th percentile of the data. (splits off the lowest 75% of data from highest 25%)



Standard deviation

Standard Deviation (SD)

SD describes “variation” of data, which is approximately equivalent with average distance of each data point to their mean.

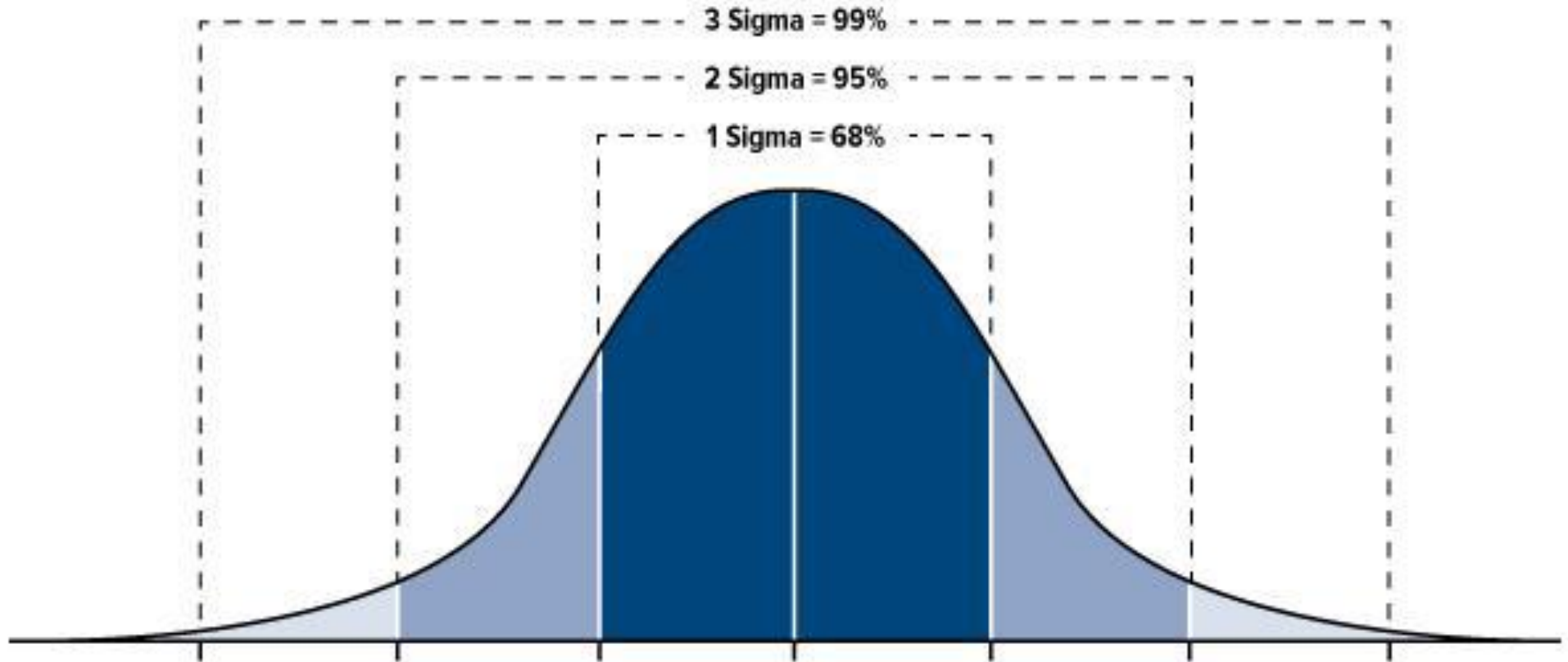


Standard deviation

$$SD = \sqrt{\frac{\sum (x - \bar{x})^2}{n}}$$

Why SD?

Standard Deviation (Sigma) Measures Degree of Variance from Average

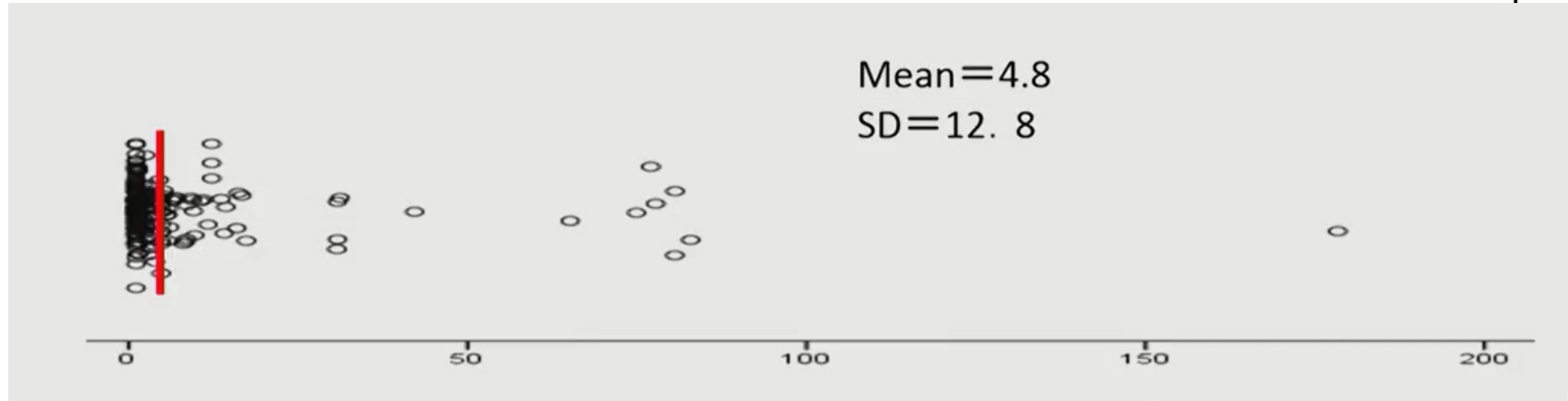


Source: U.S. Global Investors

Centre for Health Informatics, Biostatistics and Epidemiology, Faculty of Medicine, University of Kelaniya

- Use of Inter-quartile range
- Mean and SD **not appropriate**

95% of patients' daily ICU dose of lorazepam is -20.8mg to 30.4 mg???



Median [Inter-quartile range, IQR] = 1 [0, 4.25]

25% 0 mg

50% 1 mg

75% 4.25mg





Feedback

1. what did you like about this session?
2. what didn't you like about this session?
3. what did you learn from this session?

Thank you